

### **Section 13.1**

**6.** (a) In  $\mathbb{R}^2$   $x = 4$  represents a line parallel to the  $y$ -axis. In  $\mathbb{R}^3$ ,  $x = 4$  represents the set  $\{(x, y, z) | x = 4\}$ , the set of all points whose  $x$ -coordinate is 4. This is the vertical plane that is parallel to the  $yz$ -plane and 4 units in front of it.

(b) In  $\mathbb{R}^3$ , the equation  $y = 3$  represents a vertical plane that is parallel to the  $xz$ -plane and 3 units to the right of it. The equation  $z = 5$  represents the set of points that are simultaneously on both planes, or in other words, the line of intersection of the planes  $y = 3, z = 5$ . This line can also be described as the set  $\{(x, 3, 5) | x \in \mathbb{R}\}$ , which is the set of all points in  $\mathbb{R}^3$  whose  $x$ -coordinate may vary but whose  $y$ - and  $z$ -coordinates are fixed at 3 and 5, respectively. Thus the line is parallel to the  $x$ -axis and intersects the  $yz$ -plane in the point  $(0, 3, 5)$ .

**18.** center  $(1, -2, 0)$  and radius  $\sqrt{21}/2$ .

**38.** a sphere with center  $(25/3, 1, -11/3)$  and radius  $\sqrt{332}/3$ .

### **Section 13.2**

**24.**  $\langle -\sqrt{6}, 2\sqrt{6}, \sqrt{6} \rangle$

### **Section 13.3**

**2.**  $\sqrt{2}$

**8.**  $-2$

**14.** the vendor's total revenue for that day

### **Section 13.4**

**2.**  $a \times b = 10i - 8j + 2k$

**42.** maximum of  $|u \times v| = 15$ , minimum  $= 0$ .

As  $u$  rotates counterclockwise,  $u \times v$  is directed in the negative  $z$ -direction (by the right-hand rule) and the length increases until  $\theta = \frac{\pi}{2}$ , in which case  $u = -3i$  and  $|u \times v| = 15$ . As  $u$  rotates to the negative  $y$ -axis,  $u \times v$  remains pointed in the negative  $z$ -direction and the length of  $u \times v$  decreases to 0, after which the direction of  $u \times v$  reverses to point in the positive  $z$ -direction and  $|u \times v|$  increases. When  $u = 3i$  (so  $\theta = \frac{\pi}{2}$ )  $|u \times v|$  again reaches its maximum of 15, after which  $|u \times v|$  decreases to 0 as  $u$  rotates to the positive  $y$ -axis.

**Section 13.5**

16. (a)  $x = 2 + t, y = 4 - t, z = 6 + 3t$   
(b) On the  $xy$ -plane :  $(0, 6, 0)$   
On the  $yz$ -plane :  $(0, 6, 0)$   
On the  $xz$ -plane :  $(6, 0, 18)$

30.  $x + 2y + 4z = 35.$

**Section 13.6**

22. IV

24. III

26. I

28. V